

## OPTIMUM WINDOW AND FRAME SIZE FOR IrDA LINKS

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### **Abstract**

For the first time we derive a simple formula for the throughput, optimum window and frame sizes of IrDA IrLAP protocol. For 16Mbps links the use of the proposed window size of 127 frames makes the link performance worse at higher line BER. The significance of minimum turnaround time on throughput is being studied.

### **Introduction**

IrDA infrared wireless ports are populating millions of products such as laptops, printers, personal digital assistants and mobile phones every year [1]. The data rate options range from 115.2Kbps, 1.152Mbps, 4Mbps and 16Mbps. The IrDA standard specifies link BER less than  $10^{-8}$  for a link operating from 0 to at least 1m. The hardware is driven by the IrDA link layer protocol IrLAP [2]. This work is concerned with the study of maximising the link throughput by selecting optimum parameters for IrLAP. The parameters for maximum throughput for any BER are of great interest to link designers. Performance analysis of IrLAP protocol using the concept of virtual transmission time was presented in [3] and the significance of window size  $N$  and other link parameters was presented in [4]. We use a new analytical model, which allows the derivation of a simple and intuitive equation for the IrLAP throughput. Based on this equation we derive optimum parameters for frame length

and window size. The results give us insights for the optimum control of the link for maximum throughput.

## Analysis

Table 1 includes a list of symbols used for our analysis.

The symbols for  $t_s$ ,  $t_l$ ,  $t_{ack}$ ,  $p$  and  $D_b$  are defined by:

$$t_s = \frac{l'}{C}, \quad t_l = \frac{l+l'}{C}, \quad t_{ack} = 2t_{ta} + t_s, \quad p = 1 - (1 - p_b)^{l+l'}, \quad D_b = lD_f \quad (1)$$

In order to calculate the link throughput a mathematical model is developed using the concept of “window transmission time”. It determines the number of correct in sequence frames received in a complete  $N$  frame window transmission and the time needed for that transmission.

We derive that the frame throughput  $D_f$  is given by:

$$D_f = \frac{1-p}{p} \frac{(1-(1-p)^N)}{Nt_l + p(t_{Fout} + t_s) + t_{ack}} \quad (2)$$

Intuitively, (2) reveals that  $D_f$ , is given by the number of correct frames transmitted before an error occurs, (term  $(1-p)/p$ ), times the probability of an error in a window (term  $(1-(1-p)^N)$ ), divided by the average window transmission time.

Differentiating (2), and to a very good approximation we can derive the following optimum values for window size  $N$  and frame size  $l$ .

$$N_{opt} = \sqrt{\frac{2t_{ack}C}{l^2 p_b}} \quad l_{opt} = \sqrt{\frac{2(Nl' + t_{ack}C)}{N^2 p_b}} \quad (3)$$

The optimum values (3), reveal that maximum throughput is achieved when the product of the probability of an error in the window, ( $\approx Nlp_b$ ), times the number of

bits to be retransmitted due to the error, (which on average is half the window,  $(Nl/2)$ ), must be equal to the acknowledgement time in bits,  $(t_{ack}C)$ , plus the number of the overhead bits in the window,  $(Nl')$ .

## Results

Using (2), we plot Fig.1, which shows throughput efficiency against BER for a 16Mbps link for various values of  $N$  and  $t_{ta}$ . Increasing the window size decreases link turnaround frequency. For low BER, increasing the window size results in significant throughput improvement for large  $t_{ta}$  and a smaller improvement for small  $t_{ta}$  values. The price we pay for using large window sizes, is that throughput becomes sensitive to increase in BER. This is because following an erroneous frame a large number of frames will be transmitted out of sequence in the same window. By selecting small window size (e.g. window size 7 in fig 1.) the link becomes resistant to increase in BER and still offers a high throughput efficiency of 0.968 at low BER and  $t_{ta}=0.1\text{ms}$ . Throughput against window size for various BER values and  $t_{ta}$  is shown in Fig. 2. Throughput significantly decreases with window size increase for high BER ( $10^{-6}$ ) and slightly increases for low BER( $10^{-10}$ ). The increase or decrease level depends on values of  $t_{ta}$ .

Fig.3 shows time allocation of various IrLAP tasks against BER. It is obvious that for a wide range of BER (from  $10^{-8}$  to  $10^{-4}$ ), the key factor that reduces throughput is the retransmission of correctly received out of sequence frames. This is a limitation of the IrDA IrLAP protocol when non-optimum window size is used. For high BER although the link is still operational optimum values for  $N$  become of key importance if maximum throughput is to be achieved. Only at very high BER,  $>10^{-4}$ , the main

factor causing decrease in throughput is the retransmission of frames with errors. Fig.3 reveals that the effect of  $t_{Fout}$  timer is significant for high BER. Fig.3 also shows that if a small  $t_{ta}$  value is implemented, in comparison to  $t_l$ , throughput is not significantly affected. Fig.4 shows the optimum frame size and optimum window size for any BER resulting to maximum throughput. The corresponding optimum throughput is shown in Fig. 1.

## References

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- [2] IrDA: “Serial Infrared Link Access Protocol (IrLAP) – Version 1.1”, (Infrared Data Association, 1996).
- [3] Barker P., Boucouvalas A.C. & Vitsas V., “Performance Modelling of the IrDA Infrared Wireless Communications Protocol”, International Journal of Communications, 2000, accepted for publication.
- [4] Boucouvalas A.C. and Barker P., “IrLAP protocol performance analysis of IrDA wireless communications”, Electronics Letters, Vol. 34, No. 25, pp.2380-2381, Dec 1998.

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## Table and figure captions:

Table 1: Parameters used in modelling IrLAP throughput

Fig. 1 Throughput against BER for 16Mbit/s link,  $l=16\text{Kbits}$

- |  |  |
|--|--|
| $\triangle$ $N=127, t_{ia}=0.1\text{ms}$ | $\blacktriangle$ $N=127, t_{ia}=10\text{ms}$ |
| $\diamond$ $N=50, t_{ia}=0.1\text{ms}$   | $\blacklozenge$ $N=50, t_{ia}=10\text{ms}$   |
| $\square$ $N=7, t_{ia}=0.1\text{ms}$     | $\blacksquare$ $N=7, t_{ia}=10\text{ms}$     |
| $\times$ optimum $N$                     | $\circ$ optimum $l$                          |

Fig. 2 Throughput against maximum window size for 16Mbit/s link,  $l=16\text{Kbits}$

- |   |   |
|---|---|
| $\triangle$ $BER=10^{-6}, t_{ia}=10\text{ms}$ | $\blacktriangle$ $BER=10^{-10}, t_{ia}=10\text{ms}$ |
| $\diamond$ $BER=10^{-6}, t_{ia}=1\text{ms}$   | $\blacklozenge$ $BER=10^{-10}, t_{ia}=1\text{ms}$   |
| $\square$ $BER=10^{-6}, t_{ia}=0.1\text{ms}$  | $\blacksquare$ $BER=10^{-10}, t_{ia}=0.1\text{ms}$  |

Fig. 3 Time allocation of various IrLAP tasks against BER

Link rate = 16Mbit/s, Packet size = 16Kbits,  $t_{ia} = 0.1\text{ms}$ ,  $N = 127$  frames

- $\square$  useful data transmission (throughput efficiency)
- $\diamond$  retransmission of correctly received out of sequence frames
- $\times$  retransmission of error frames
- $\blacklozenge$   $t_{Fout}$  timer expiration
- $\bullet$  reversing link direction (hardware latency)

Fig. 4 Optimum window for  $l=16\text{Kbits}$  and optimum packet size for  $N=127$  against BER

Link rate = 16Mbit/s,  $t_{ia} = 0.1\text{ms}$

- $\square$  optimum window size
- $\blacktriangle$  optimum packet size

**Table 1**

<b>Symbol</b>	<b>Parameter Description</b>	<b>Unit</b>
$C$	Link data baud rate	bits /sec
$p_b$	Link bit error rate	-
$p$	Frame error probability	-
$l$	I-frame message data length	bits
$l'$	S-frame length / I-frame overhead	bits
$t_I$	Transmission time of an I-frame	sec
$t_S$	Transmission time of an S-frame	sec
$t_{ta}$	Minimum turn-around time	sec
$t_{ack}$	Acknowledgement time	sec
$t_{Fout}$	F-timer Time-out period	sec
$D_f$	Frame throughput	frames/sec
$D_b$	Data throughput	bits/sec

Figure 1

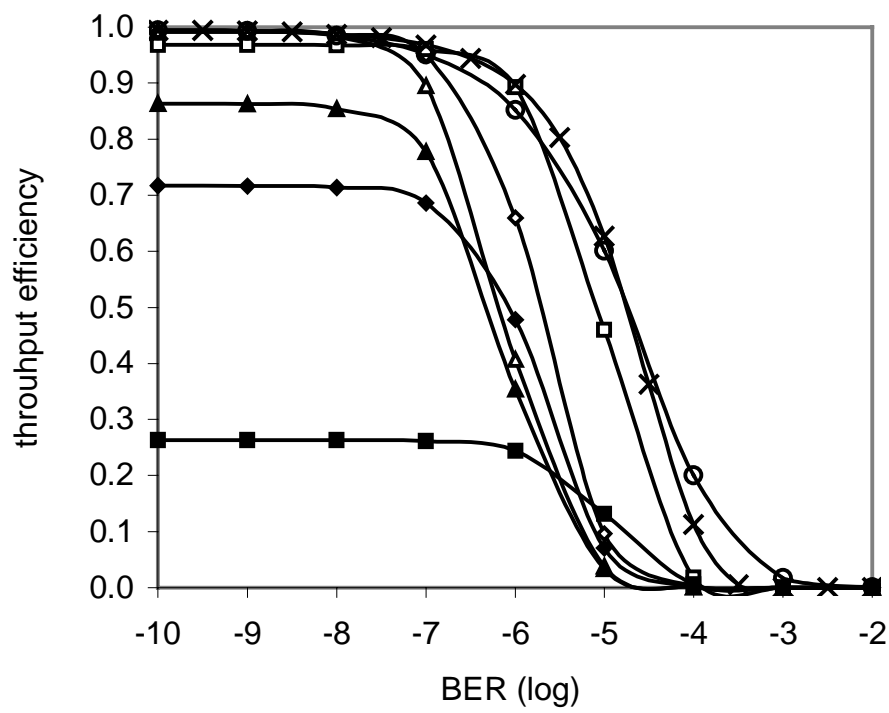
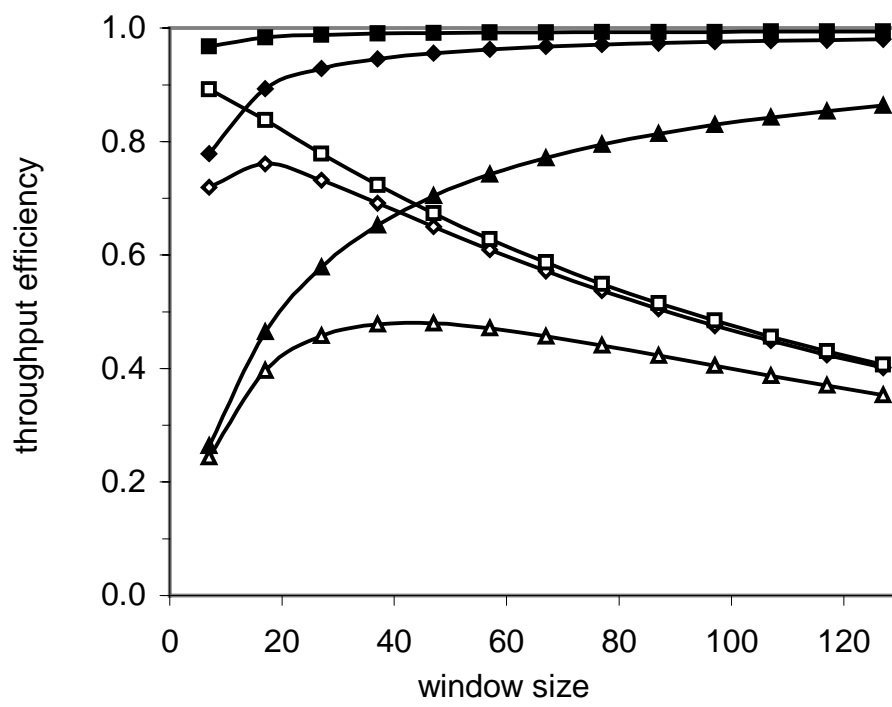


Figure 2



**Figure 3**

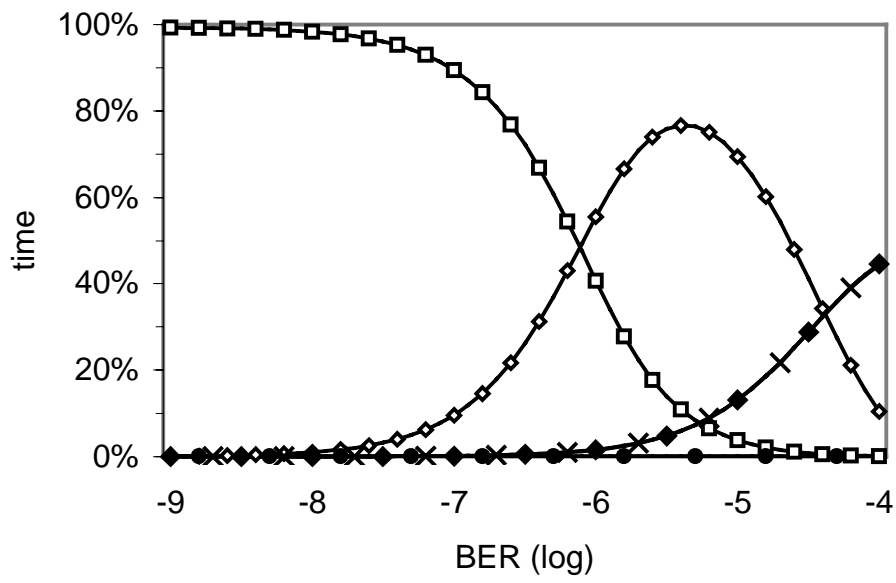


Figure 4

